

AN OFF-AXIS ZONE-PLATE MONOCHROMATOR FOR HIGH POWER UNDULATOR RADIATION

M. R. Howells *

P. Charalambous %

H. He *

S. Marcesini *

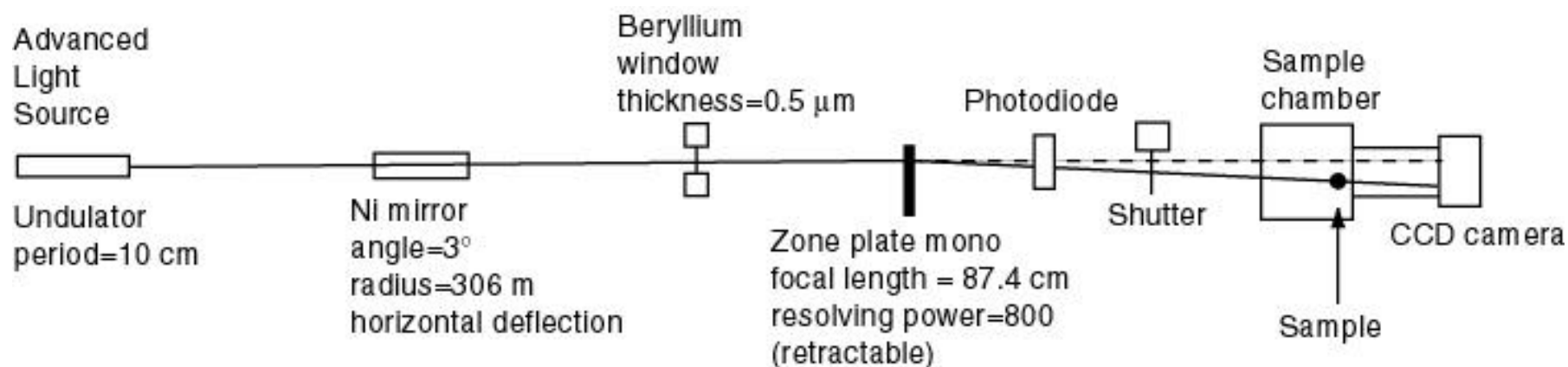
J. C. H. Spence * #

*Advanced Light Source, Lawrence Berkeley National Laboratory

#Dept. of Physics, Arizona State University

%King's College London

ALS BEAM LINE 9.0.1: COHERENT OPTICS

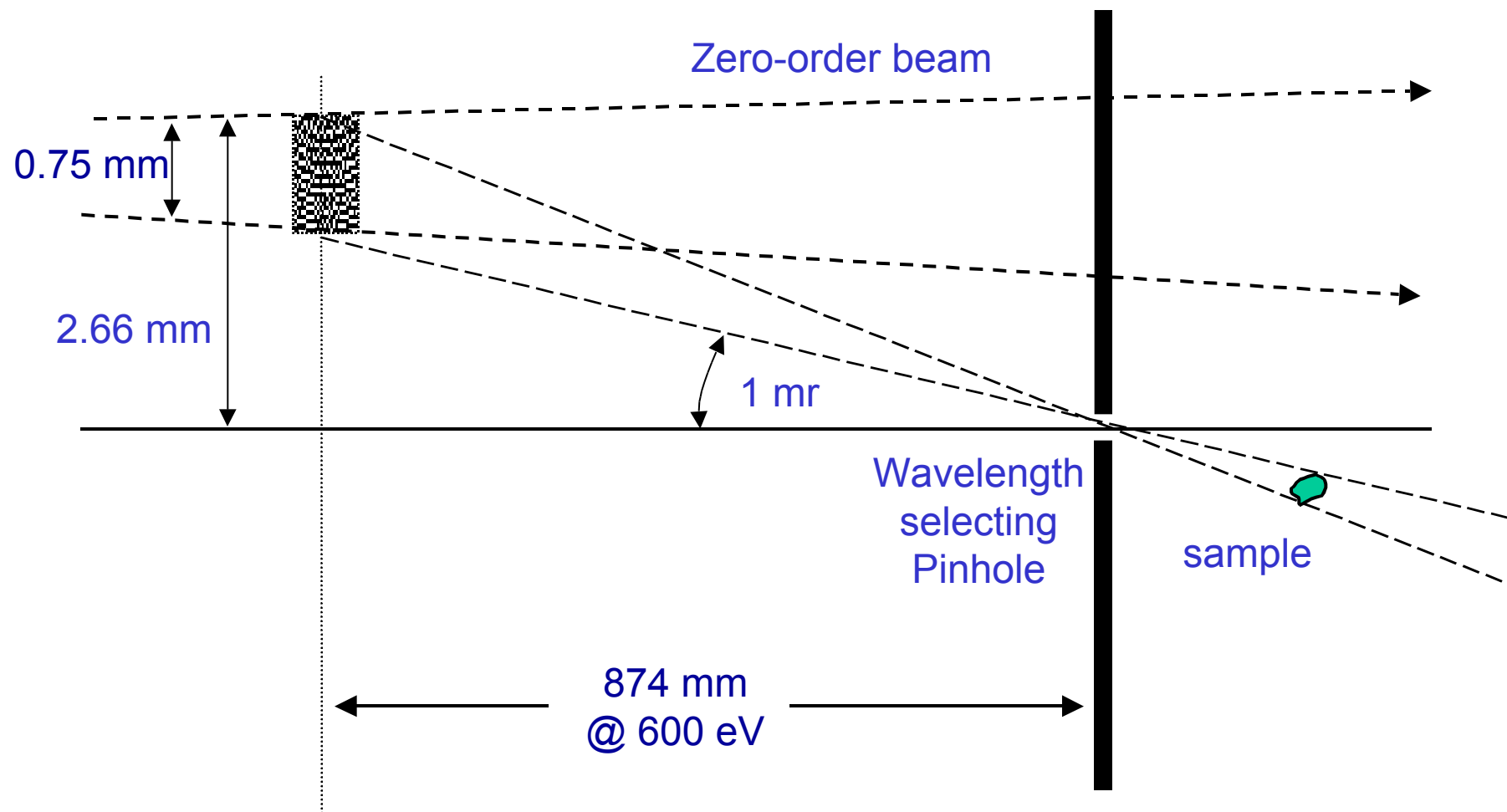


BEAM LINE SIDE VIEW (NOT TO SCALE)

RATIONALE:

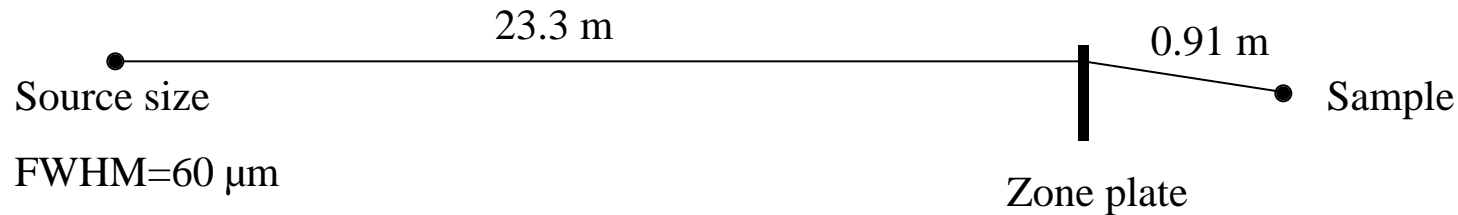
- Experiments are to be done at 588 eV in undulator 3rd harmonic
- Beam is a pink undulator beam with significant power
- Be window is 0.8 mm square which defines the beam size
- Some users require pink beam so monochromator must be retractable
- Resolving power of 800-1000 is required (compared to 100 for the pink beam)

ZONE-PLATE MONOCHROMATOR LAYOUT



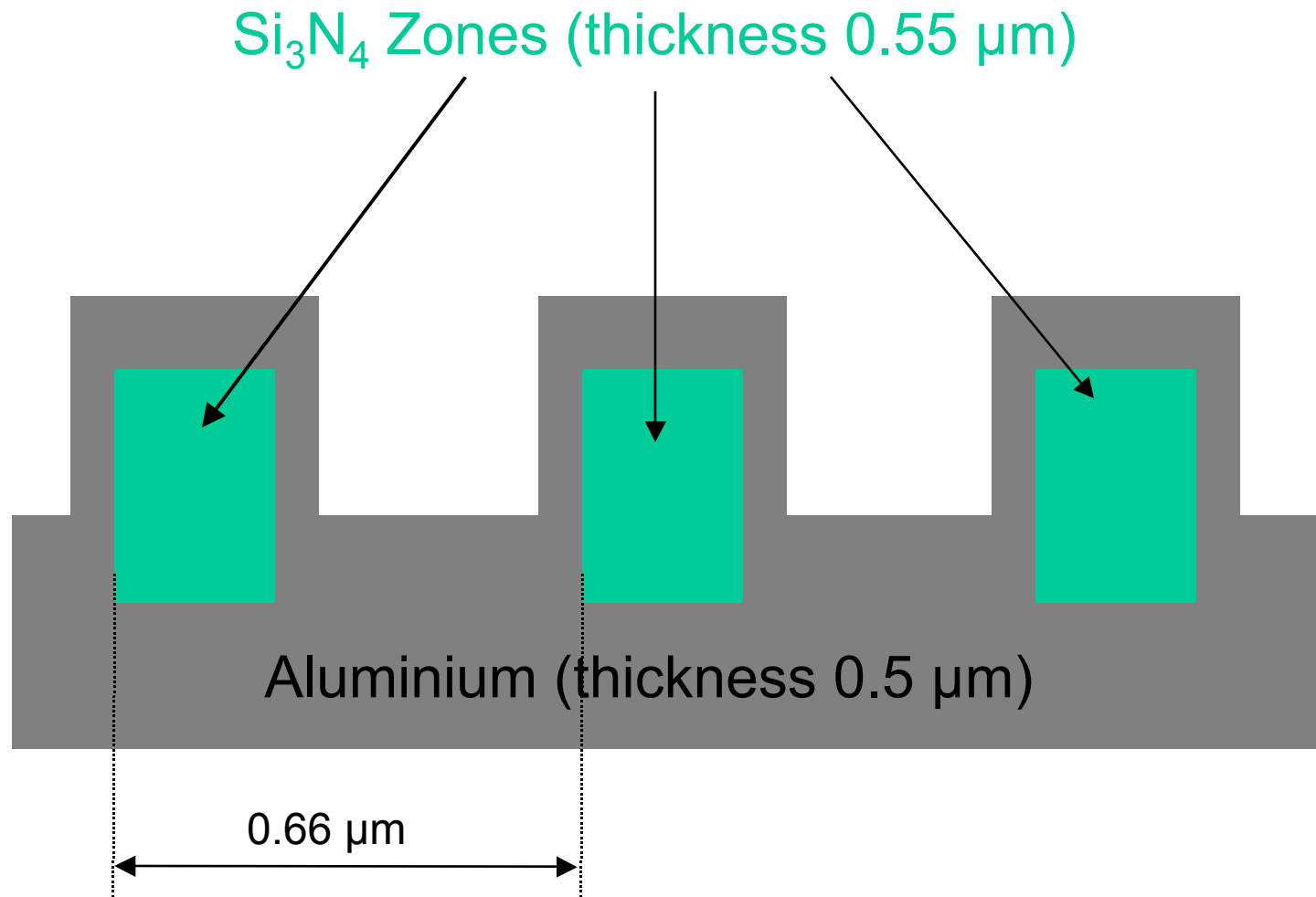
Zone plate diameter D with pinhole diameter d \Rightarrow resolving power $D/2d$

ZONE-PLATE OPTICS



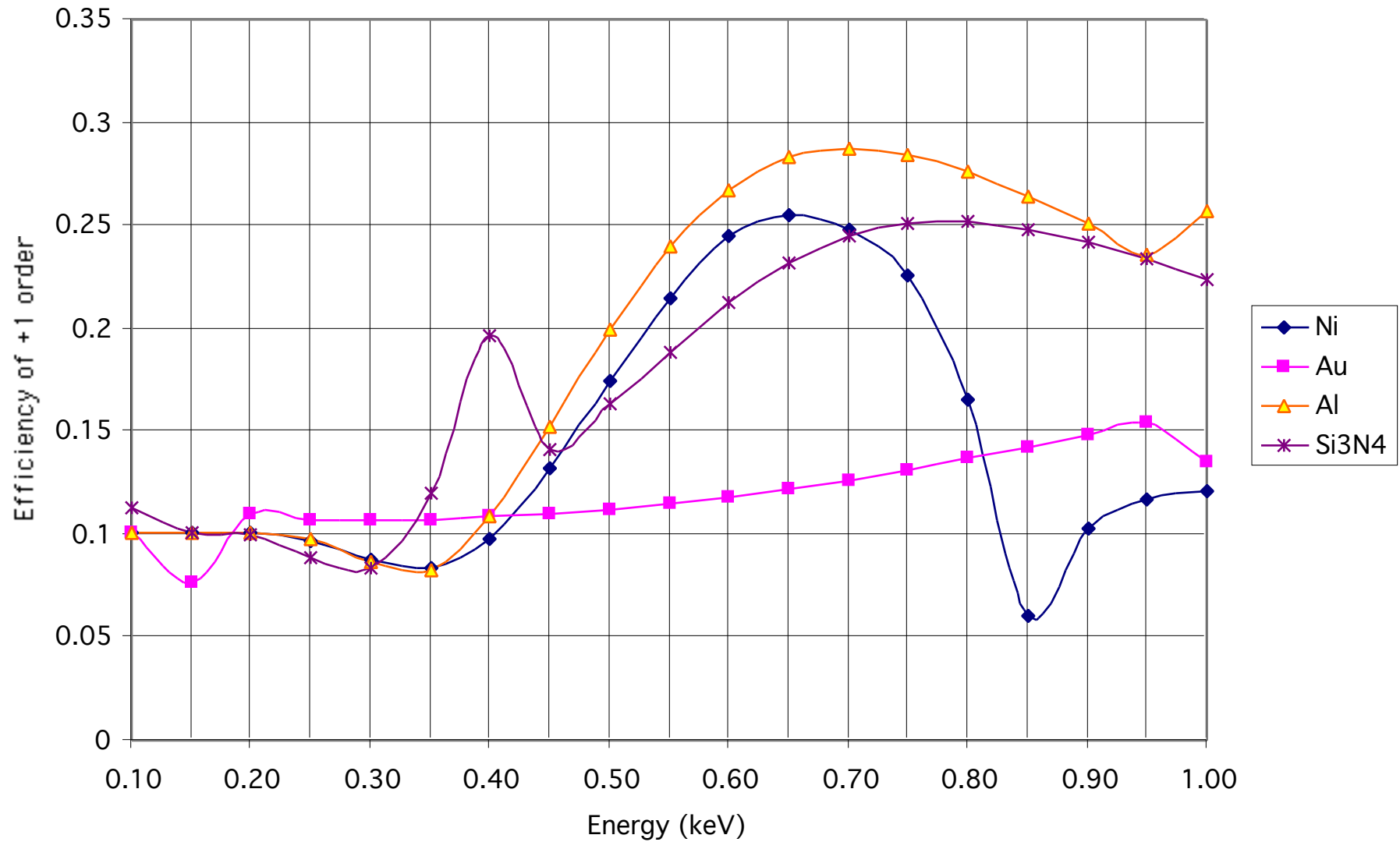
- Zone plate nominal operating energy = 600 eV
- Focal length = 0.874 m
- Vertical demagnification = 25.7
- X-ray vertical spot sizes:
 - Geometrical image size = 2.3 μm
 - Diffraction size = 2.3 μm
 - Combined = 3.3 μm
- Resolving power (based on combined spot size) = 802
- Number of zone plate periods in segment = 1000

ZONE-PLATE STRUCTURE

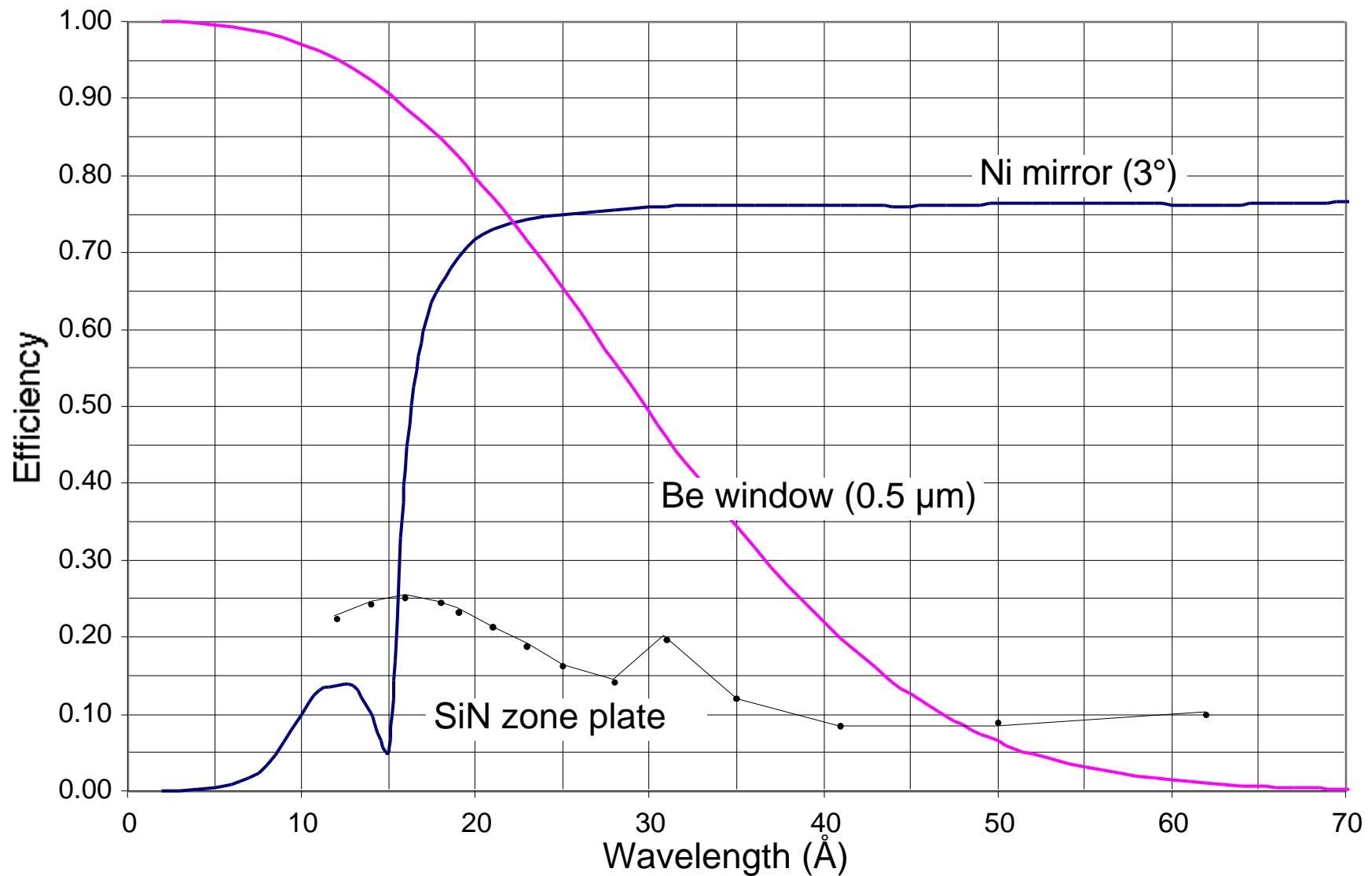


ONLY ROUGHLY TO SCALE

ZONE PLATE EFFICIENCY FOR VARIOUS MATERIALS



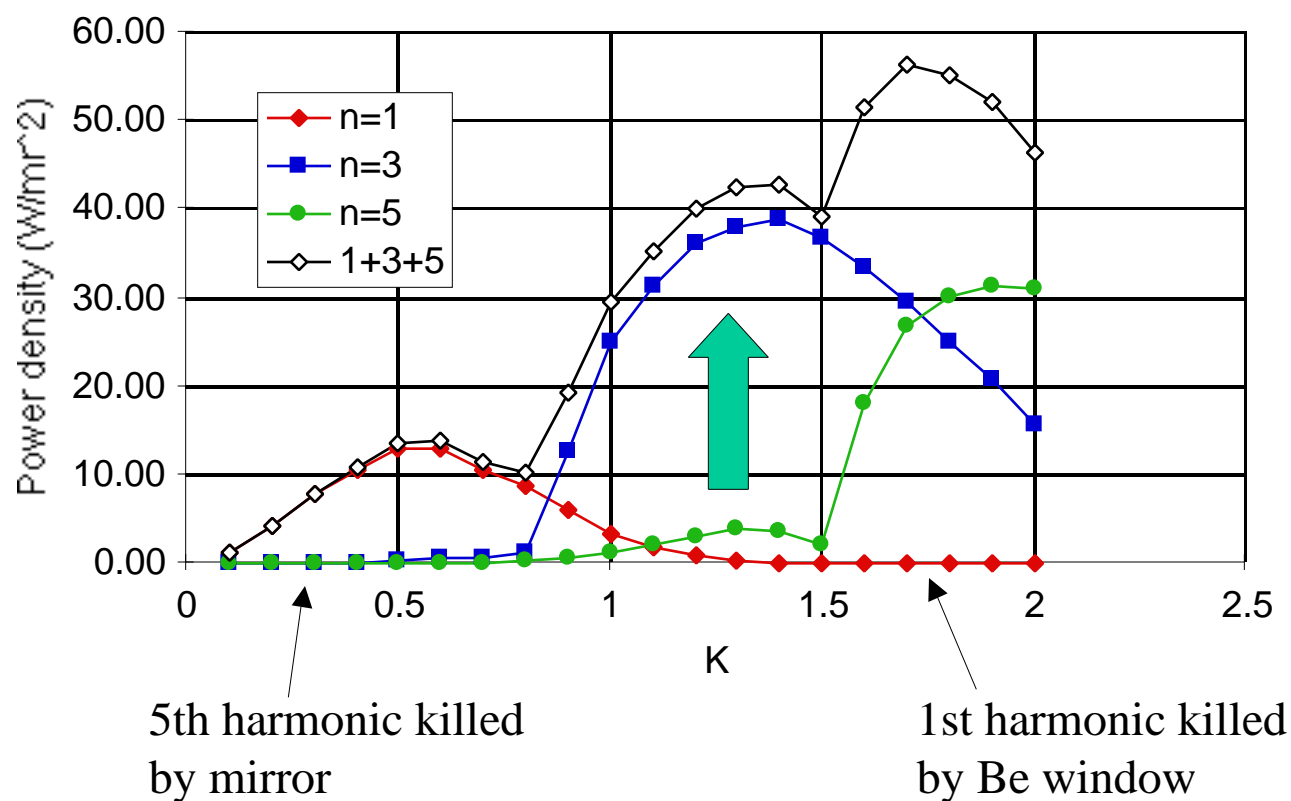
EFFICIENCY OF ZONE PLATE ELEMENTS



UNDULATOR SOURCE CHARACTERISTICS



Power density from a 3° nickel mirror, and a 0.5 micron B window



THERMAL ANALYSIS: THEORY



The Fourier equation for heat flow in 2 - D is

$$\frac{\partial^2 T}{\partial x^2} + \frac{\partial^2 T}{\partial y^2} = -\frac{Q}{k t}$$

\leftarrow abs power/unit area
 \leftarrow k =conductivity, t =thickness

For a window $a \times b$ with $T = 0$ at the edges and uniform illumination ($Q = \text{constant}$)

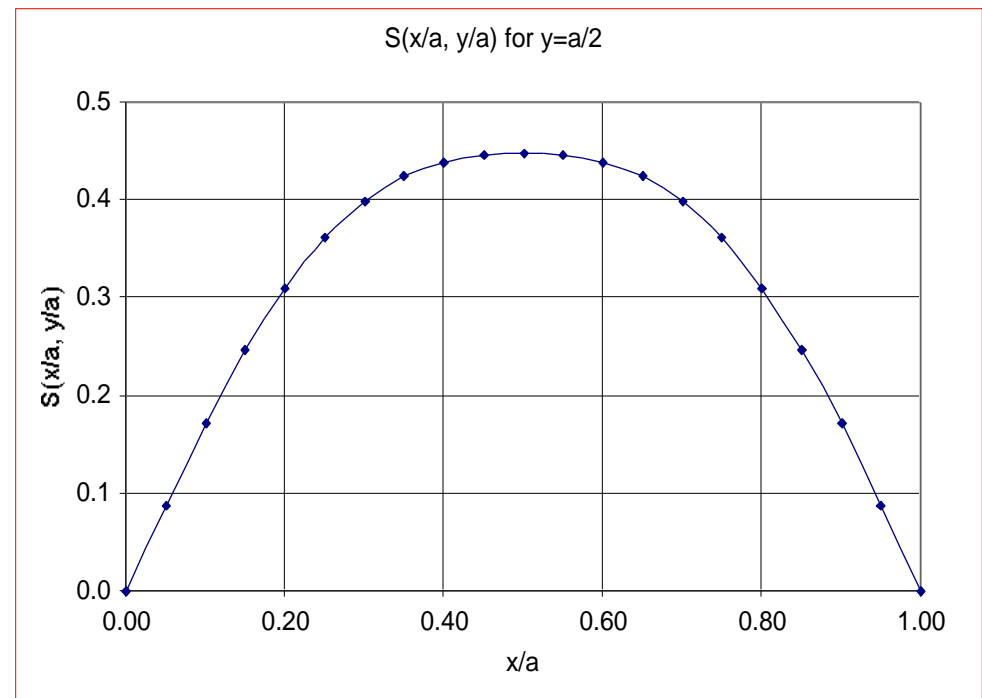
$$T(x, y) = \frac{16Q}{\pi^4 k t} \sum_{\substack{m=1 \\ m, n \text{ odd}}} \sum_{n=1} \frac{1}{mn} \frac{\sin \frac{m\pi x}{a} \sin \frac{n\pi y}{b}}{\frac{m^2}{a^2} + \frac{n^2}{b^2}}$$

For a square window the double sum

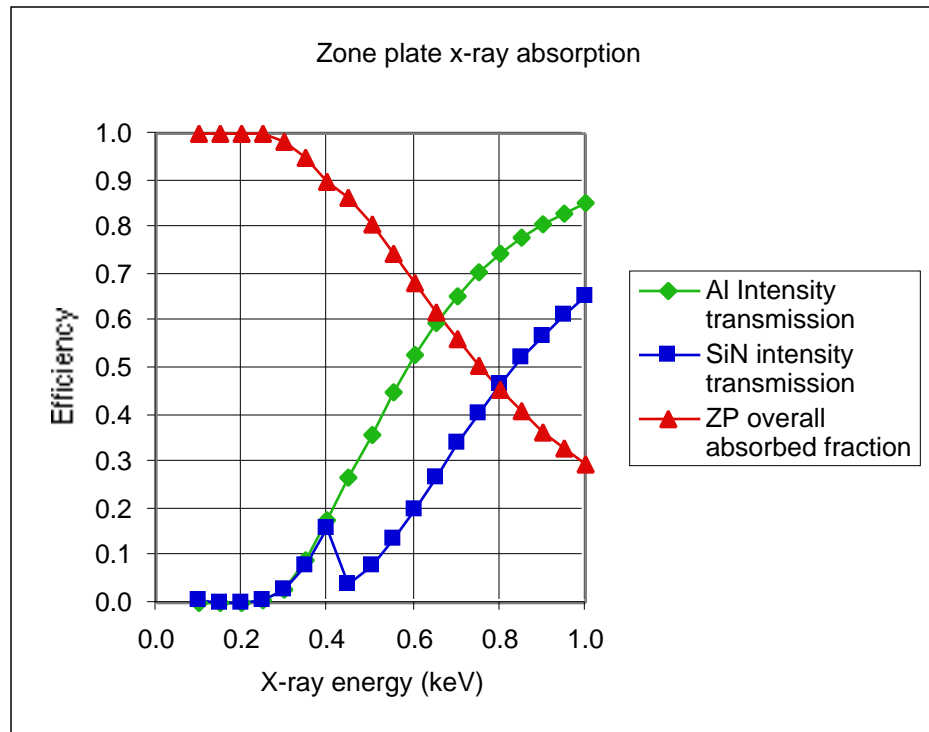
becomes a universal function $S \left(\frac{x}{a}, \frac{y}{a} \right)$ with a

maximum $S \left(\frac{1}{2}, \frac{1}{2} \right) = 0.448$ at the center so

$$T_{\max} = 7.17 \frac{Q a^2}{\pi^4 k t}$$



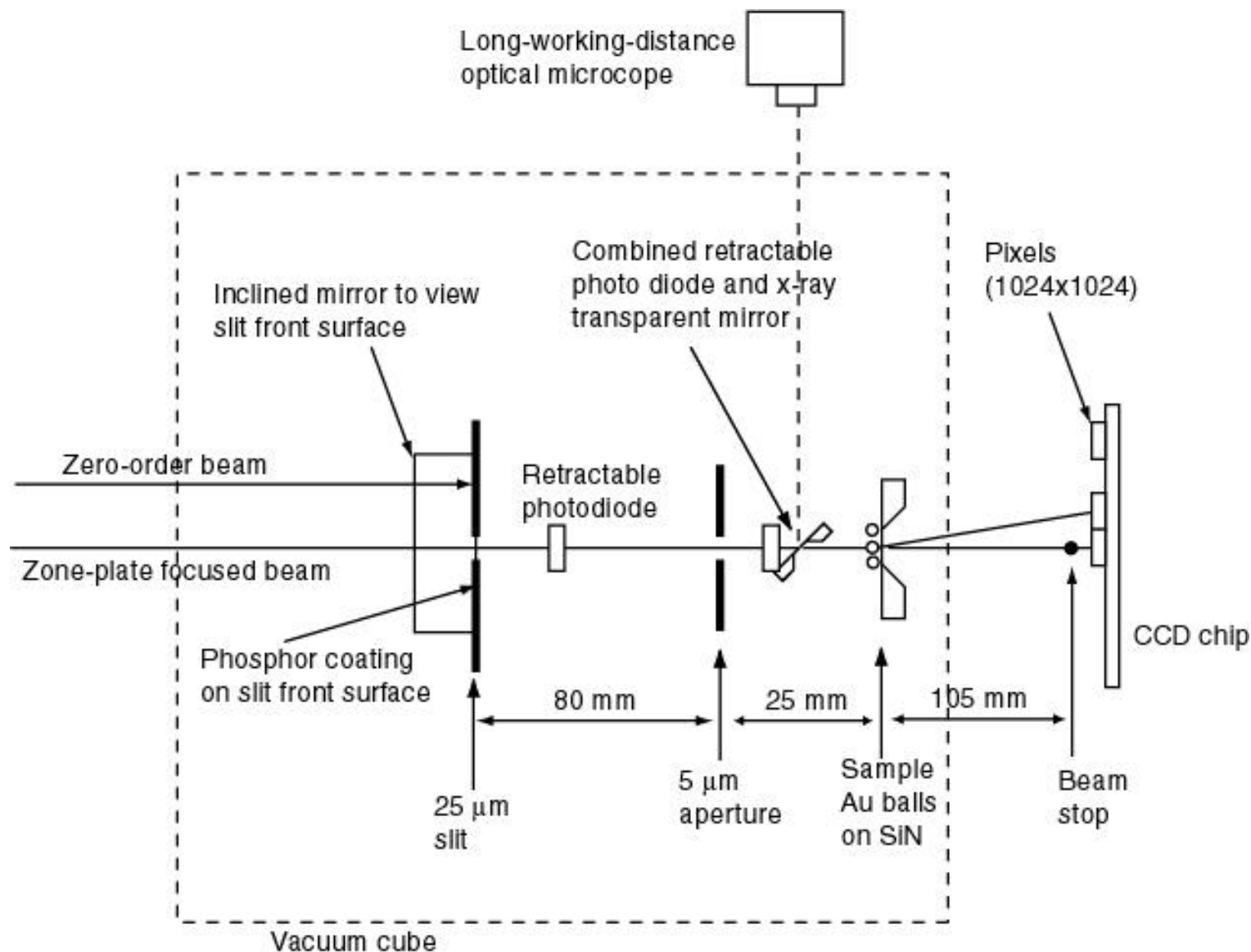
POWER ABSORPTION BY THE ZONE PLATE



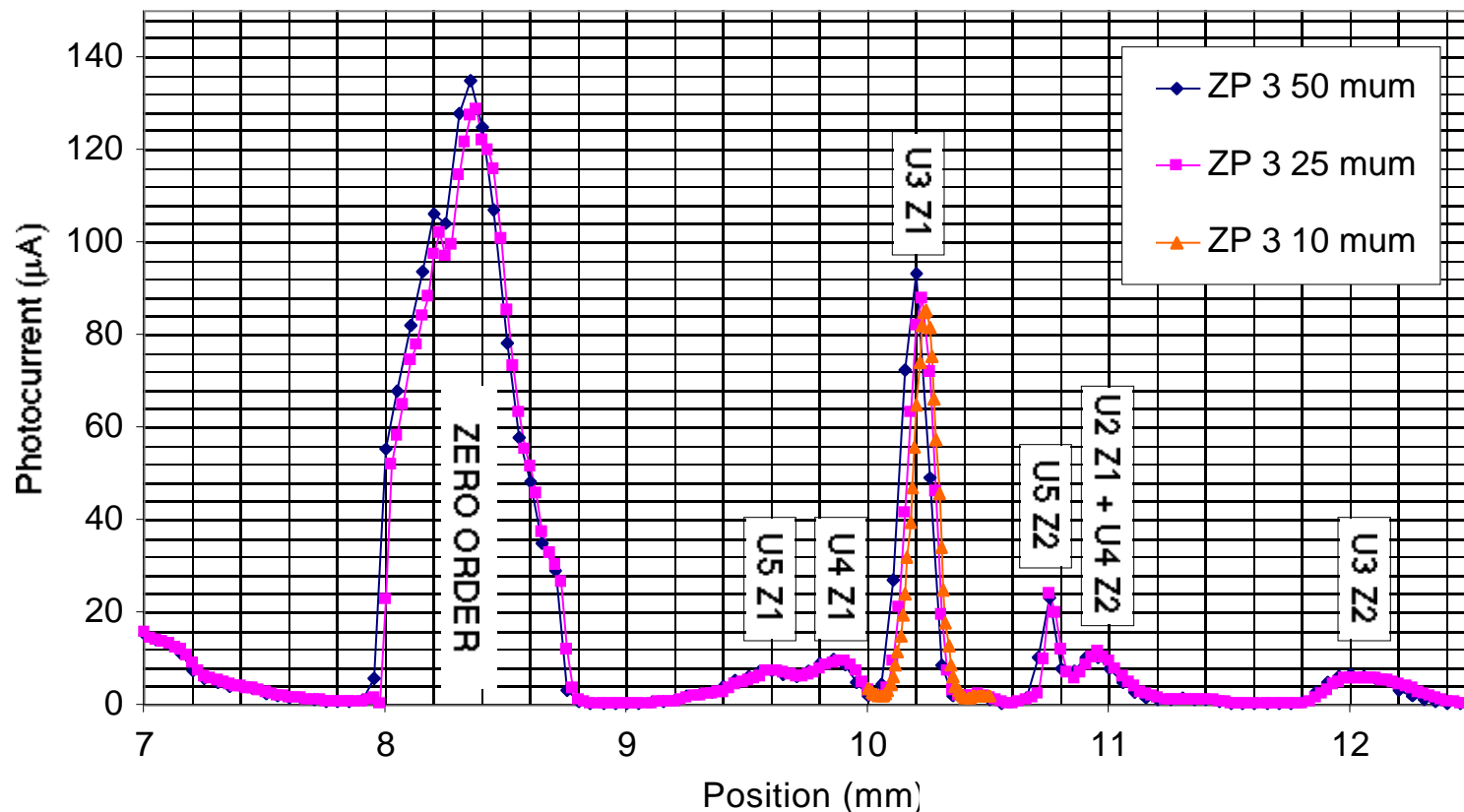
Thermal behavior for actual zone plate parameters:
 Si_3N_4 thickness = $0.55 \mu\text{m}$ (π phase shift at 600 eV)
Al thickness = $0.5 \mu\text{m}$

- Arriving pink-beam power density:
 - $n=1$: 0.006 W/mm^2
 - $n=3$: 0.319 W/mm^2
 - $n=5$: 0.043 W/mm^2
- Deposited power density = 0.236 W/mm^2
- Calculated center temperature at maximum power load = 80°C relative to the frame as zero
- Normally increasing the thickness of an x-ray window does not improve the power balance between deposition and removal
- But if there is an absorber *other than the window* (in this case the zone-plate rings) then a thickness increase can be beneficial

SOFT-X-RAY DIFFRACTION EXPERIMENT



ZONE PLATE POSITIVE-ORDER SPECTRUM

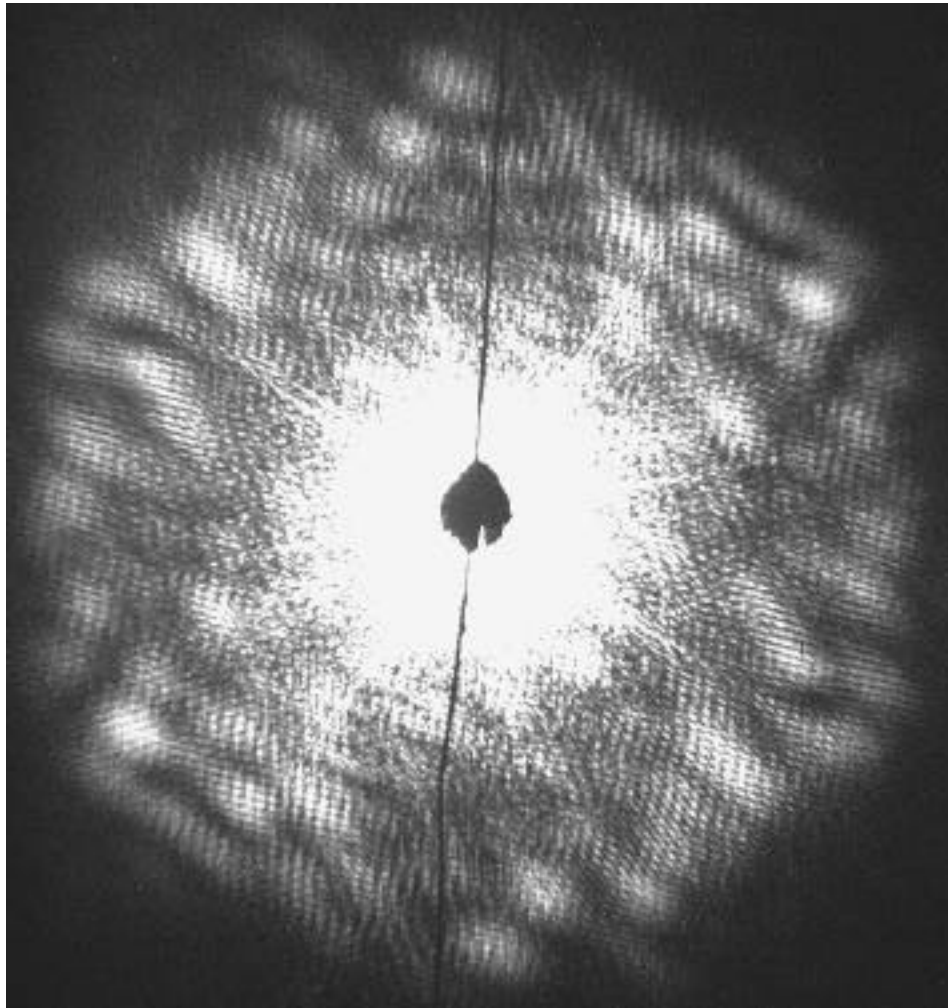


Peak width
contributions

- Diffraction: 2.3 μm
- Geometrical image: 2.3 μm
- Source bandwidth: 20 μm
- Slit size: 25 μm
- Defocus: 90 μm

- Overall calculated value: 96 μm
- Measured value: 110 μm

IMPROVED DATA FROM SMALL-WINDOW SAMPLE



- 30 nm gold balls 588 eV
- 1.77x1.77 μm window from window diffraction pattern



- Smaller beam stop
- No merging of data sets
- Good statistics
- Expecting that this will reconstruct by Fienup with no trouble - if not we plan to try the "binary-object" constraint
- Fine and coarse texture gross spacings
- Hexagonal shape from "raft" shape